#### CS11-747 Neural Networks for NLP Intro/ Why Neural Nets for NLP?

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Site <u>https://phontron.com/class/nn4nlp2017/</u>

Language is Hard!

#### Are These Sentences OK?

- Jane went to the store.
- store to Jane went the.
- Jane went store.
- Jane goed to the store.
- The store went to Jane.
- The food truck went to Jane.

# Engineering Solutions

- Jane went to the store.
- store to Jane went the.
- Jane went store.

Create a grammar of the language

- Jane goed to the store.
- The store went to Jane. }

Consider
 morphology and exceptions
 Semantic categories,
 preferences

• The food truck went to Jane. And their exceptions

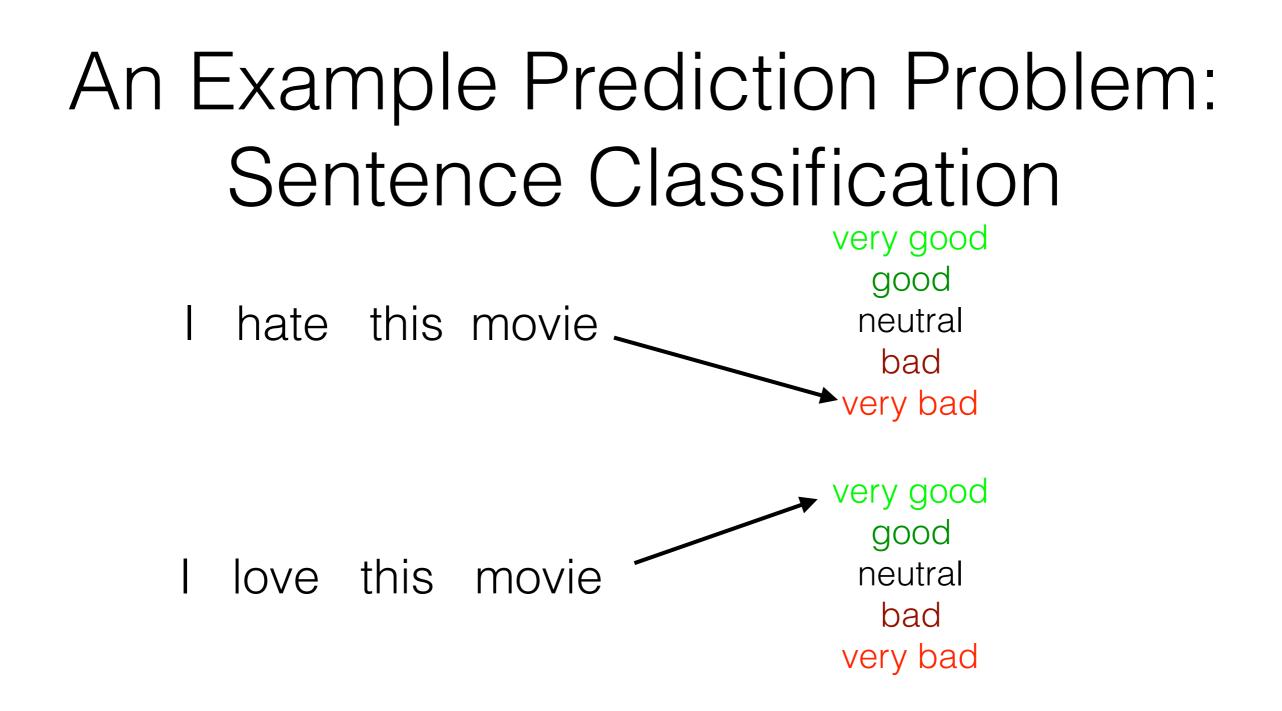
#### Are These Sentences OK?

- ジェインは店へ行った。
- は店行ったジェインは。
- ジェインは店へ行た。
- 店はジェインへ行った。
- 屋台はジェインのところへ行った。

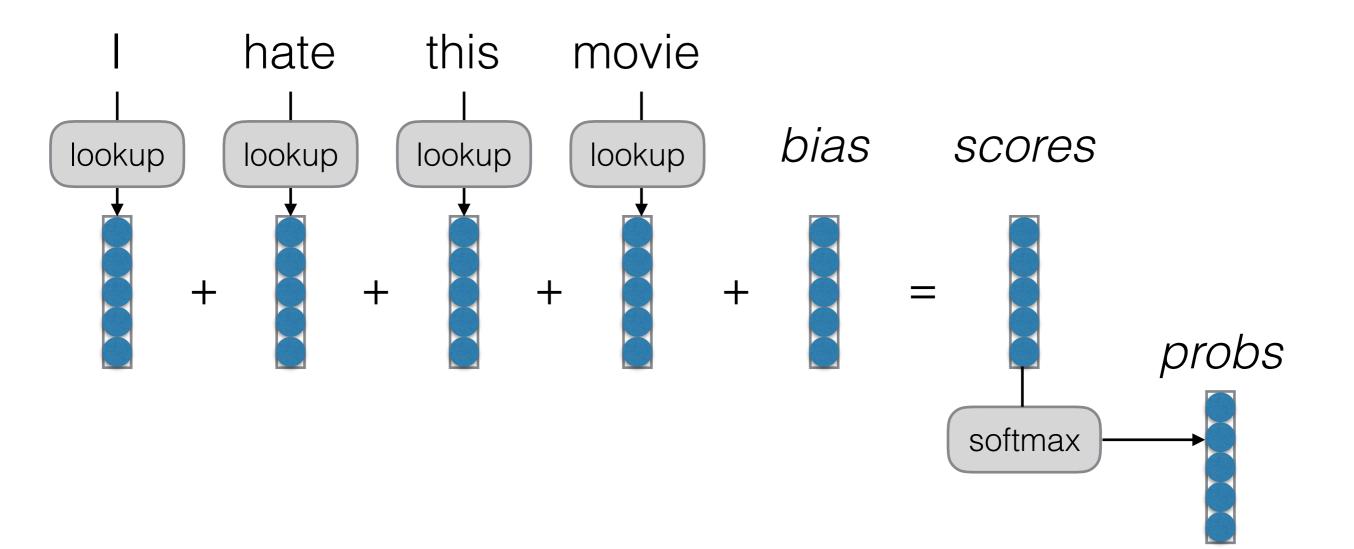
# Phenomena to Handle

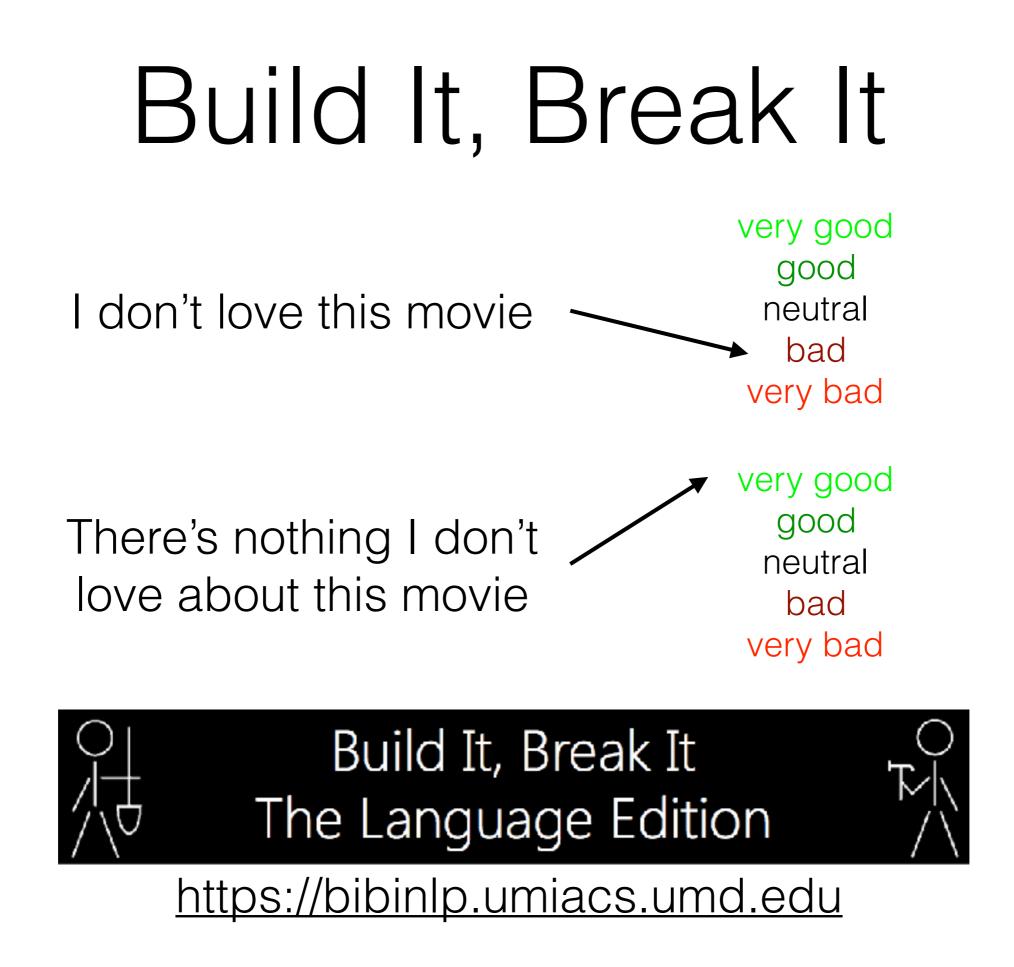
- Morphology
- Syntax
- Semantics/World Knowledge
- Discourse
- Pragmatics
- Multilinguality

Neural Networks: A Tool for Doing Hard Things



#### A First Try: Bag of Words (BOW)

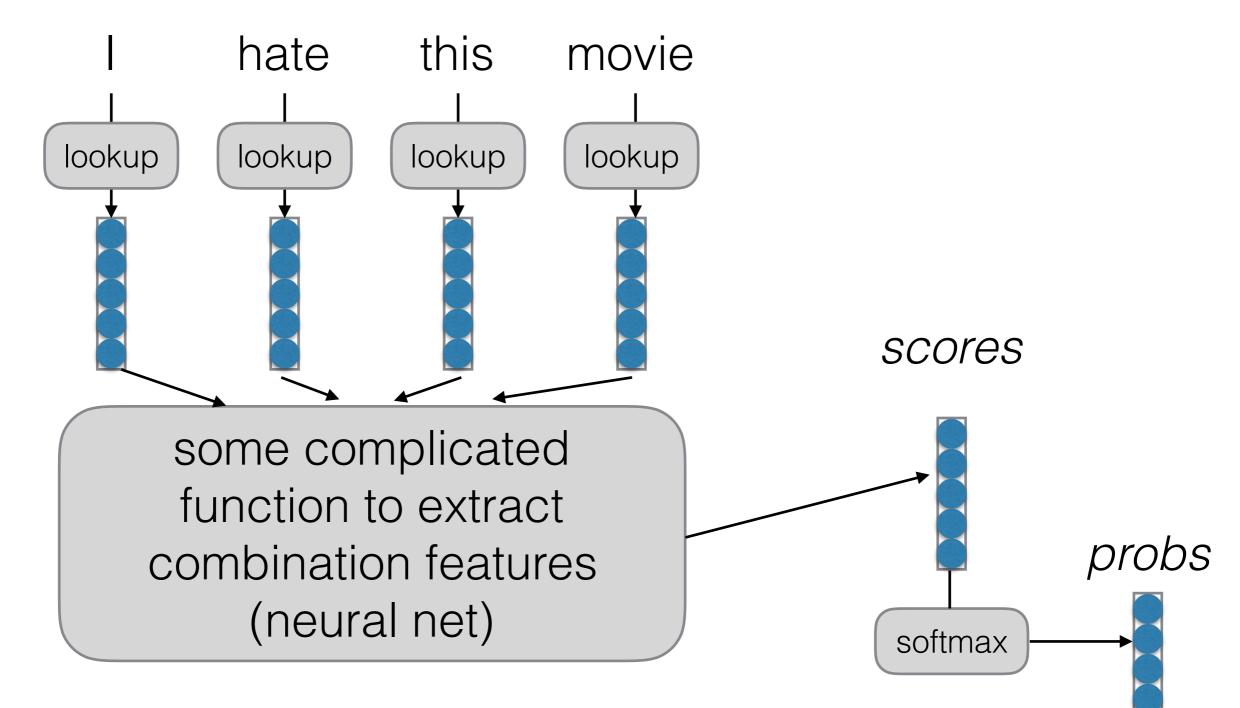




#### **Combination Features**

- Does it contain "don't" and "love"?
- Does it contain "don't", "i", "love", and "nothing"?

# Basic Idea of Neural Networks (for NLP Prediction Tasks)



#### Computation Graphs The Lingua Franca of Neural Nets



 $\mathbf{X}$ 

graph:

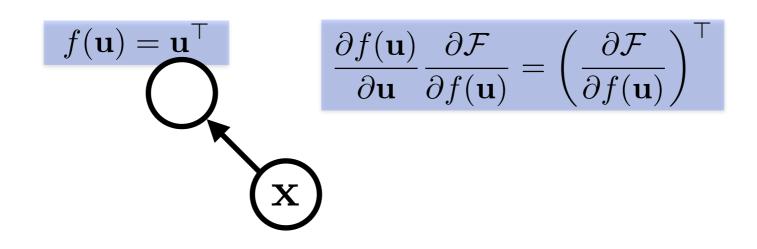
A node is a {tensor, matrix, vector, scalar} value



An **edge** represents a function argument (and also an data dependency). They are just pointers to nodes.

A **node** with an incoming **edge** is a **function** of that edge's tail node.

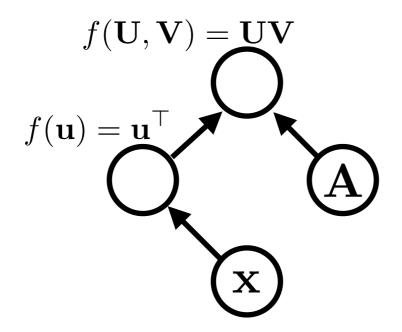
A **node** knows how to compute its value and the value of its derivative w.r.t each argument (edge) times a derivative of an arbitrary input  $\frac{\partial \mathcal{F}}{\partial f(\mathbf{u})}$ .



expression:  $\mathbf{x}^{\top} \mathbf{A}$ 

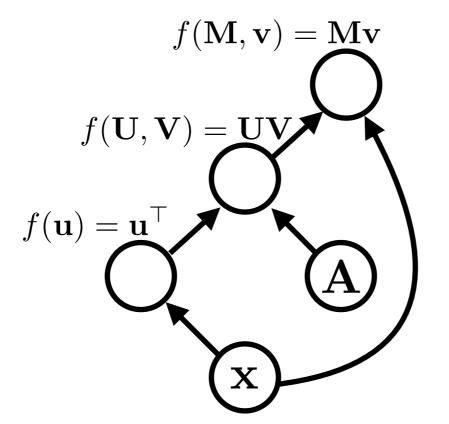
graph:

Functions can be nullary, unary, binary, ... *n*-ary. Often they are unary or binary.



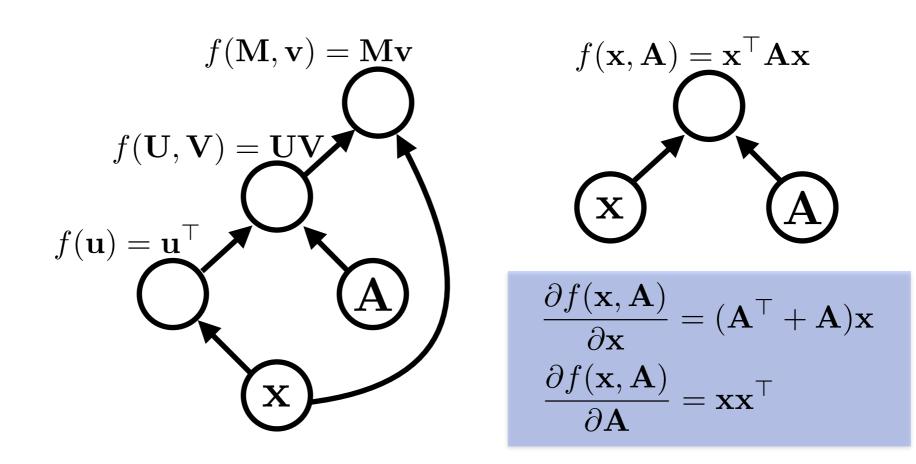
# expression: $\mathbf{x}^{\top} \mathbf{A} \mathbf{x}$

graph:

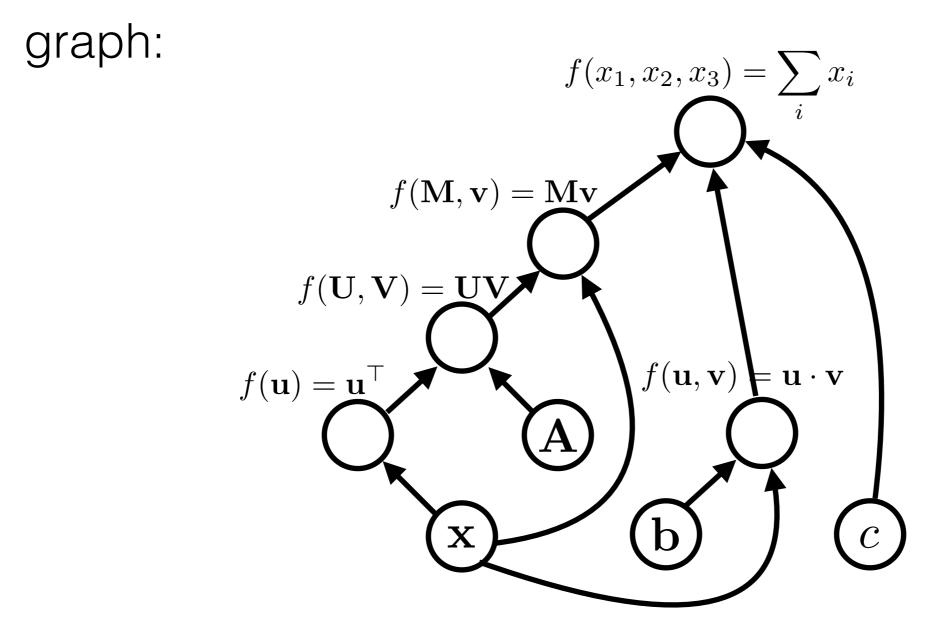


Computation graphs are directed and acyclic (in DyNet)

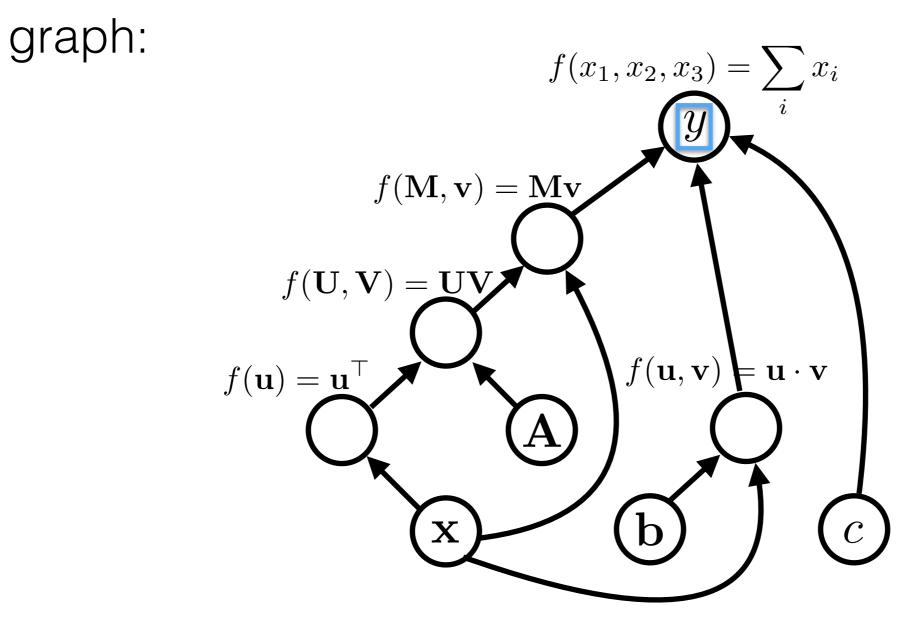
# expression: $\mathbf{x}^{\top} \mathbf{A} \mathbf{x}$



expression:  $\mathbf{x}^{\top} \mathbf{A} \mathbf{x} + \mathbf{b} \cdot \mathbf{x} + c$ 



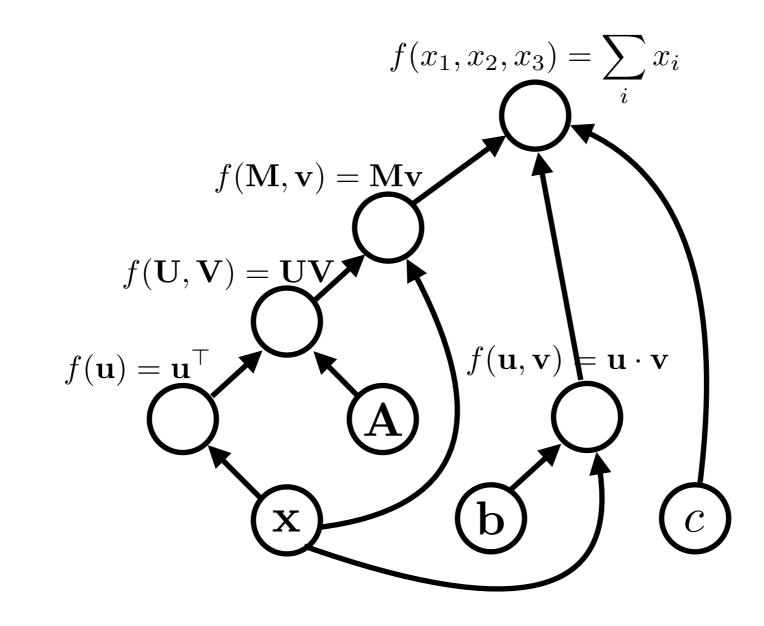
expression:  
$$y = \mathbf{x}^{\top} \mathbf{A} \mathbf{x} + \mathbf{b} \cdot \mathbf{x} + c$$

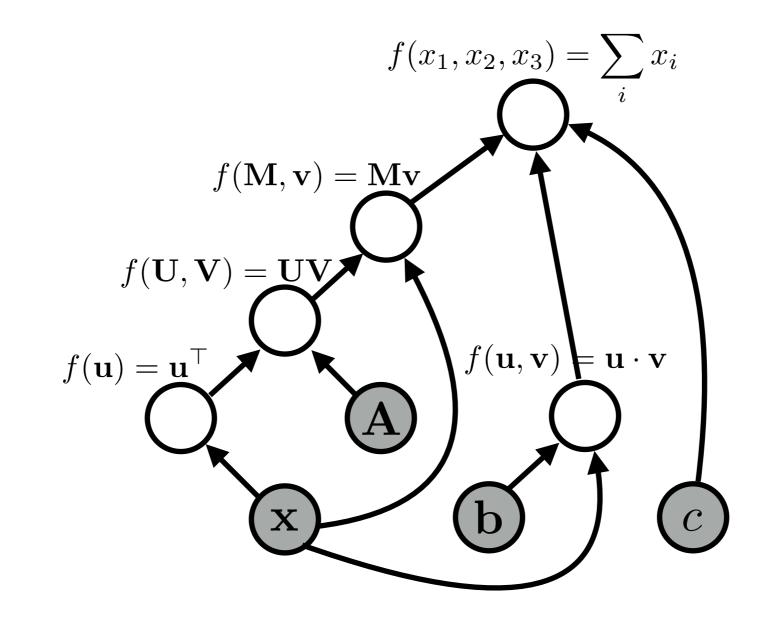


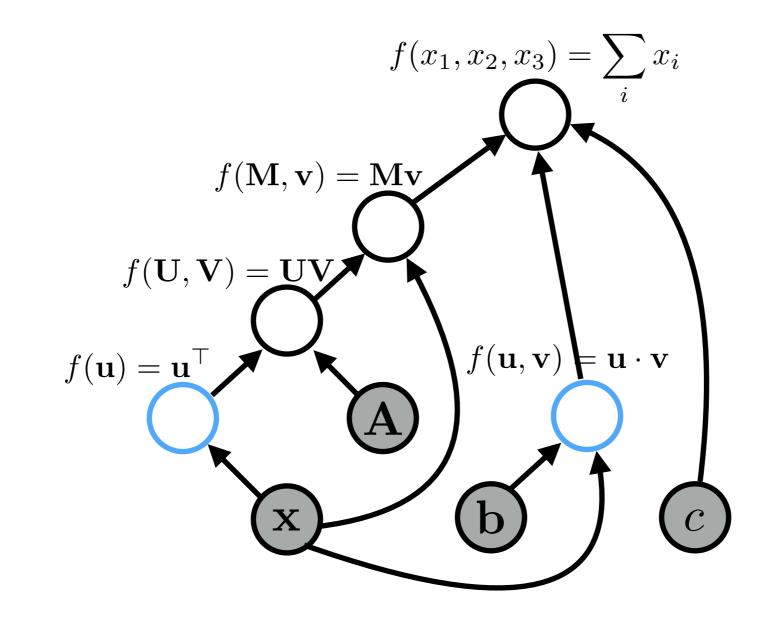
variable names are just labelings of nodes.

# Algorithms (1)

- Graph construction
- Forward propagation
  - In topological order, compute the value of the node given its inputs





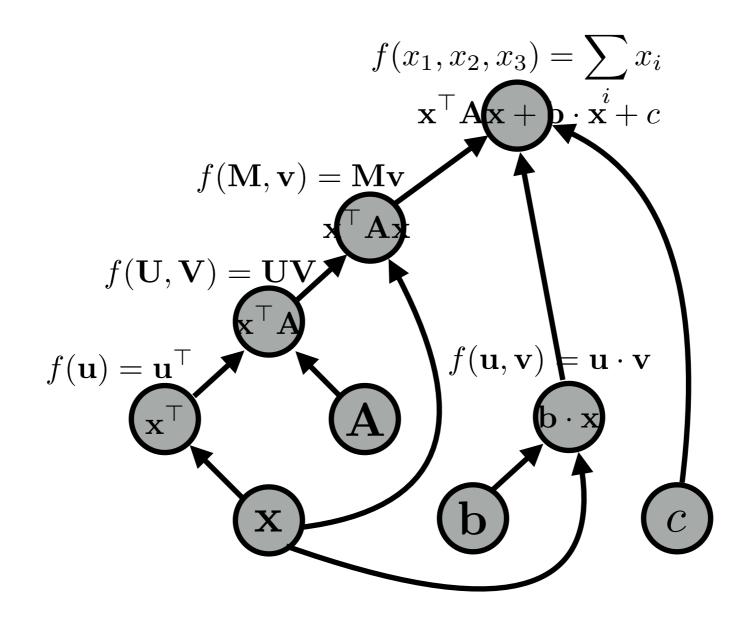


graph:  $f(x_1, x_2, x_3) = \sum x_i$  $f(\mathbf{M}, \mathbf{v}) = \mathbf{M}\mathbf{v}$  $f(\mathbf{U}, \mathbf{V}) = \mathbf{U}\mathbf{V}$  $f(\mathbf{u}, \mathbf{v}) \models \mathbf{u} \cdot \mathbf{v}$  $f(\mathbf{u}) = \underline{\mathbf{u}}^\top$ А b  $\mathcal{C}$ Х

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# Algorithms (2)

#### • Back-propagation:

- Process examples in reverse topological order
- Calculate the derivatives of the parameters with respect to the final value (This is usually a "loss function", a value we want to minimize)

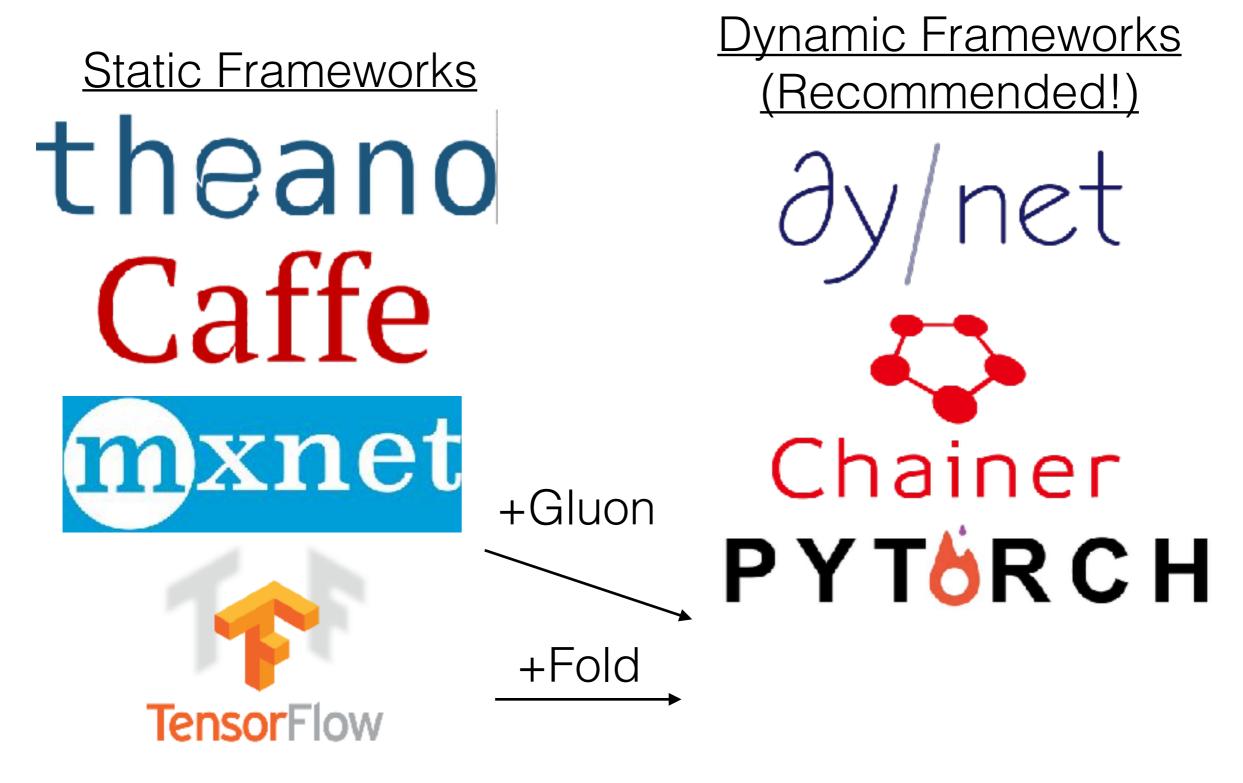
#### • Parameter update:

• Move the parameters in the direction of this derivative

W = a \* dI/dW

#### A Concrete Example

#### Neural Network Frameworks



#### Basic Process in Dynamic Neural Network Frameworks

- Create a model
- For each example
  - create a graph that represents the computation you want
  - calculate the result of that computation
  - if training, perform back propagation and update

# DyNet

- Examples in this class will be in DyNet:
  - **intuitive**, program like you think (c.f. TensorFlow, Theano)
  - fast for complicated networks on CPU (c.f. autodiff libraries, Chainer, PyTorch)
  - has nice features to make efficient implementation easier (automatic batching)

#### Computation Graph and Expressions

```
import dynet as dy
```

```
dy.renew_cg() # create a new computation graph
```

```
v1 = dy.inputVector([1,2,3,4])
v2 = dy.inputVector([5,6,7,8])
# v1 and v2 are expressions
```

```
v3 = v1 + v2
v4 = v3 * 2
v5 = v1 + 1
```

v6 = dy.concatenate([v1, v2, v3, v5])

```
print v6
print v6.npvalue()
```

#### Computation Graph and Expressions

```
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v3 = v1 + v2
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v6 = dy.concatenate([v1, v2, v3, v5])

```
print v6 expression 5/1
print v6.npvalue()
```

#### Computation Graph and Expressions

```
import dynet as dy
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```
v1 = dy.inputVector([1,2,3,4])
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v3 = v1 + v2
v4 = v3 * 2
v5 = v1 + 1
```

```
v6 = dy.concatenate([v1, v2, v3, v5])
```

```
print v6
print v6.npvalue()
array([ 1., 2., 3., 4., 2., 4., 6., 8., 4., 8., 12., 16.])
```

#### Computation Graph and Expressions

- Create basic expressions.
- Combine them using *operations*.
- Expressions represent symbolic computations.
- Use:
  - .value()
  - .npvalue()
  - .scalar\_value()
  - .vec\_value()
  - .forward()

to perform actual computation.

## Model and Parameters

- **Parameters** are the things that we optimize over (vectors, matrices).
- **Model** is a collection of parameters.
- Parameters **out-live** the computation graph.

#### Model and Parameters

model = dy.Model()

```
pW = model.add_parameters((20,4))
pb = model.add_parameters(20)
```

```
dy.renew_cg()
x = dy.inputVector([1,2,3,4])
W = dy.parameter(pW) # convert params to expression
b = dy.parameter(pb) # and add to the graph
```

y = W \* x + b

#### Parameter Initialization

model = dy.Model()

pW = model.add\_parameters((4,4))

pW2 = model.add\_parameters((4,4), init=dy.GlorotInitializer())

pW3 = model.add parameters((4,4), init=dy.NormalInitializer(0,1))

pW4 = model.parameters\_from\_numpu(np.eye(4))

## Trainers and Backdrop

- Initialize a **Trainer** with a given model.
- Compute gradients by calling expr.backward() from a scalar node.
- Call trainer.update() to update the model parameters using the gradients.

### Trainers and Backdrop

model = dy.Model()

trainer = dy.SimpleSGDTrainer(model)

p\_v = model.add\_parameters(10)

for i in xrange(10):
 dy.renew\_cg()

v = dy.parameter(p\_v) v2 = dy.dot\_product(v,v) v2.forward()

v2.backward() # compute gradients

trainer.update()

## Trainers and Backdrop

model = dy.Model()

- trainer = dy.SimpleSGDTrainer(model,...)
- p\_v = mode dy.MomentumSGDTrainer(model,...)
- for i in z dy.AdagradTrainer(model,...)
   dy.rer
   dy.AdadeltaTrainer(model,...)
   v = dy
   v2 = c dy.AdamTrainer(model,...)

v2.backward() # compute gradients

trainer.update()

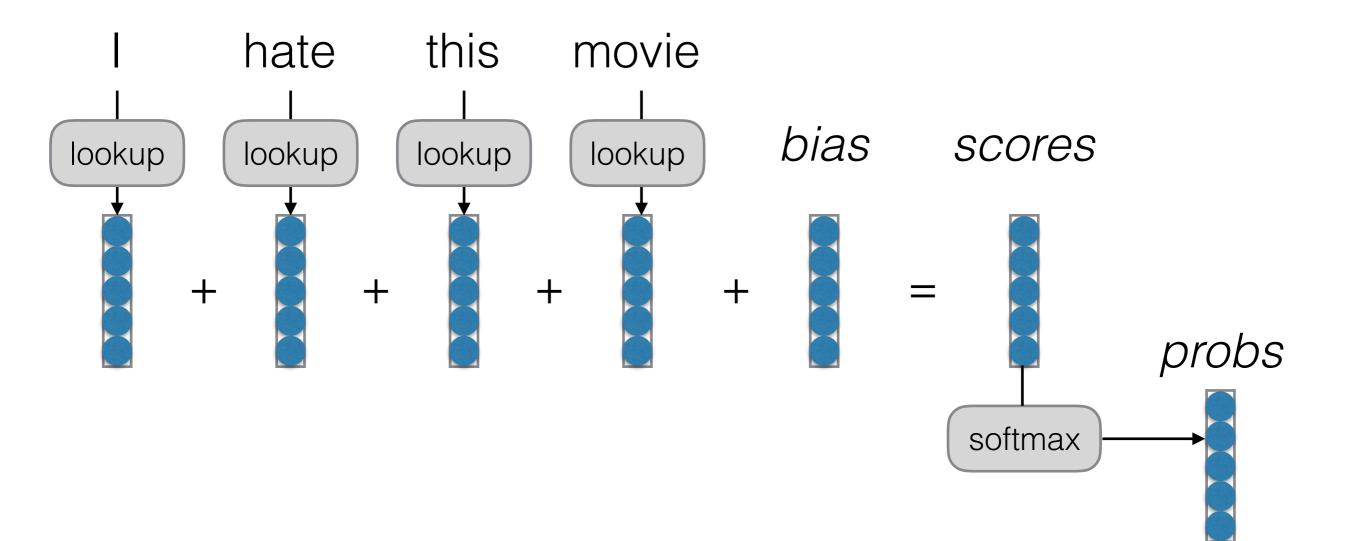
v2.foi

# Training with DyNet

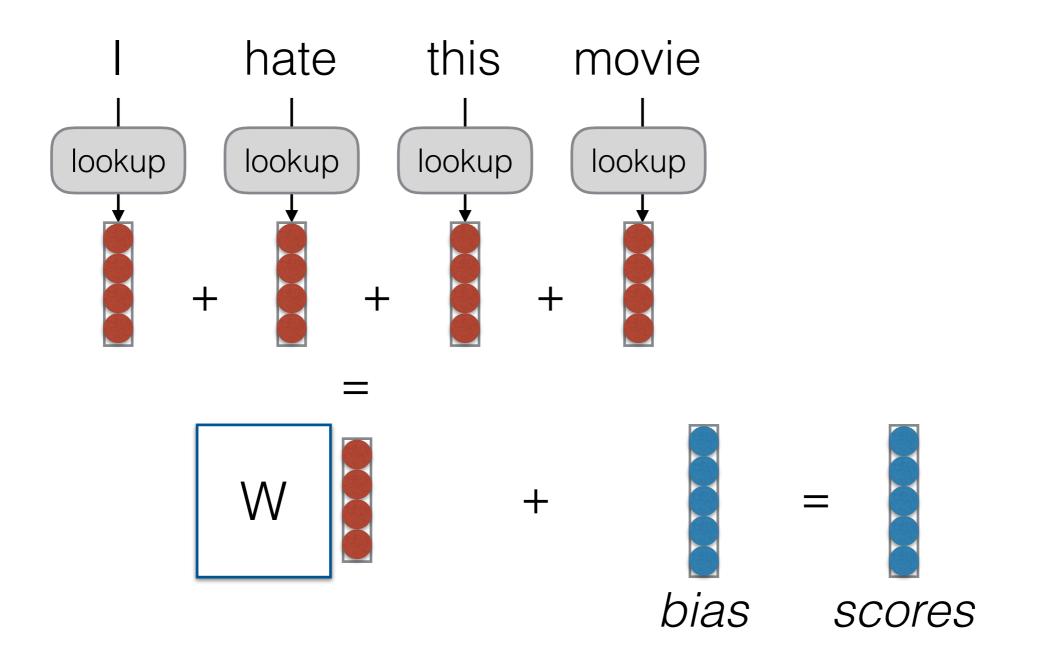
- Create model, add parameters, create trainer.
- For each training example:
  - create computation graph for the loss
  - run forward (compute the loss)
  - run backward (compute the gradients)
  - update parameters

# Example Implementation (in DyNet)

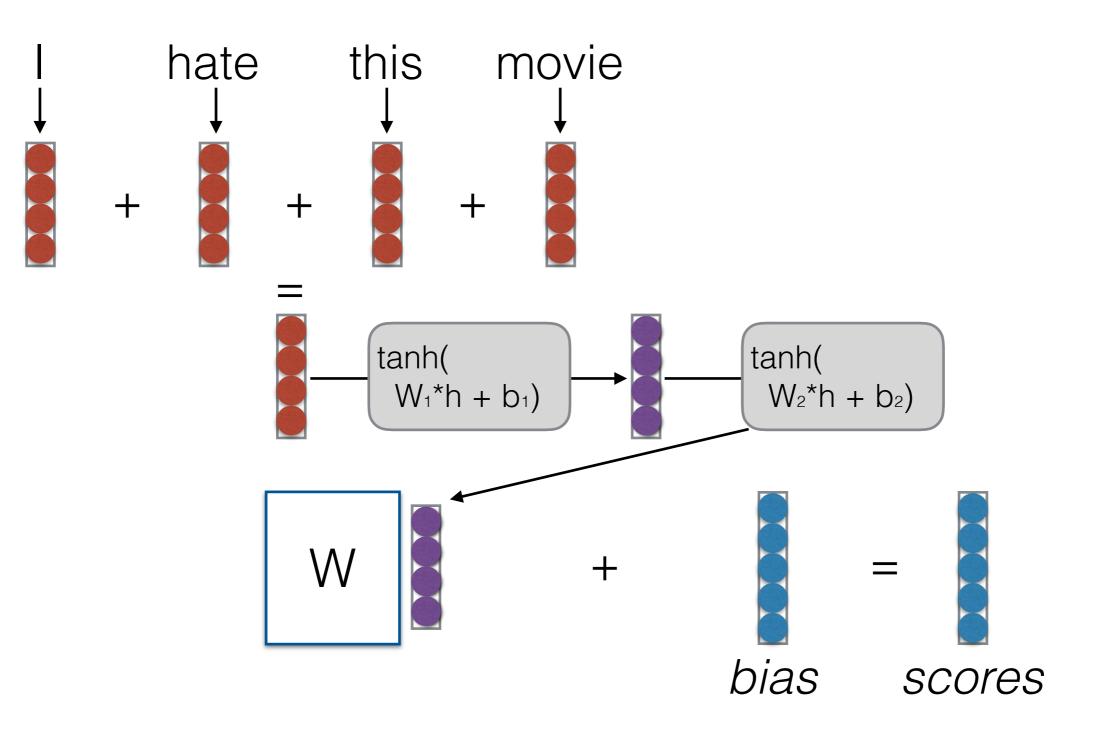
# Bag of Words (BOW)



# Continuous Bag of Words (CBOW)



## Deep CBOW



Class Format/Structure

## Class Format

- **Reading:** Before the class
- **Quiz:** Simple questions about the required reading (should be easy)
- **Summary/Elaboration/Questions:** Instructor or TAs will summarize the material, elaborate on details, and field questions
- **Code Walk:** The TAs (or instructor) will walk through some demonstration code

# Assignments

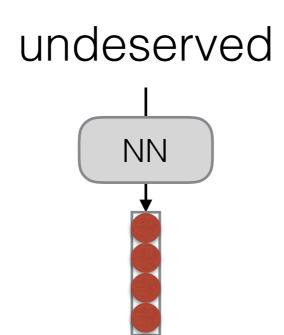
- Course is group (2-3) assignment/project based
- **Assignment 1:** Survey the field and implement a baseline model
- Assignment 2: Re-implement and reproduce results from a state-of-the-art model
- **Project:** Perform a unique research project that either (1) improves on state-of-the-art, or (2) applies neural net models to a unique task

# Instructors/Office Hours

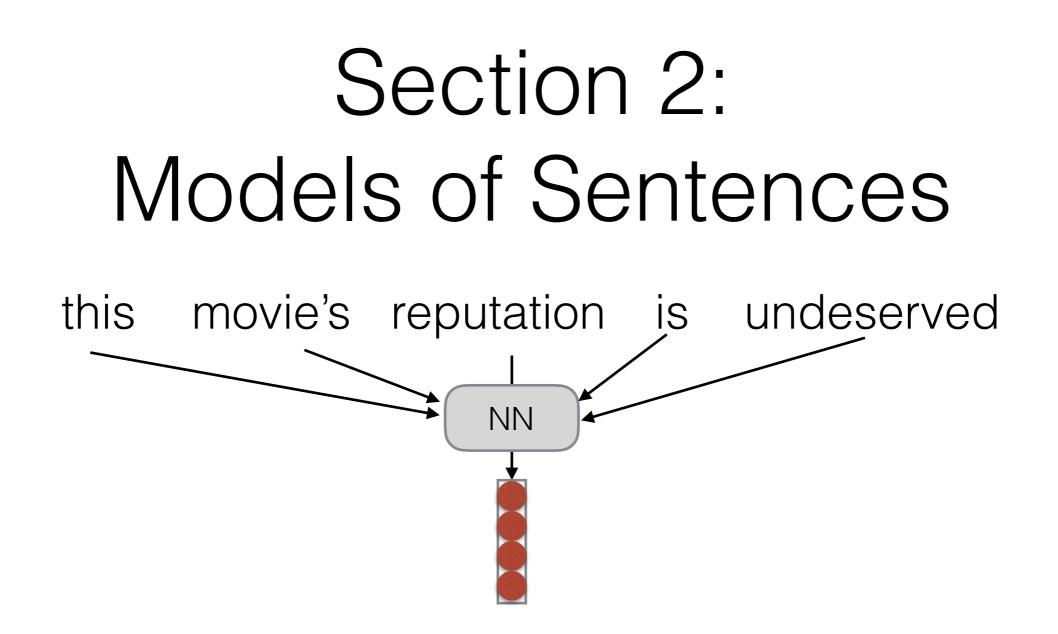
- Instructor: Graham Neubig (Mon., 4:00-5:00PM GHC5409)
- TAs:
  - Zhengzhong (Hector) Liu (Mon. 1:00-2:00PM, GHC5517)
  - Xuezhe (Max) Ma (Tue. 12:00-1:00PM, GHC5517)
  - Daniel Clothiaux (Fri. 9:00-10:00AM, GHC5505)
- Piazza: http://piazza.com/cmu/fall2017/cs11747/home

#### Class Plan

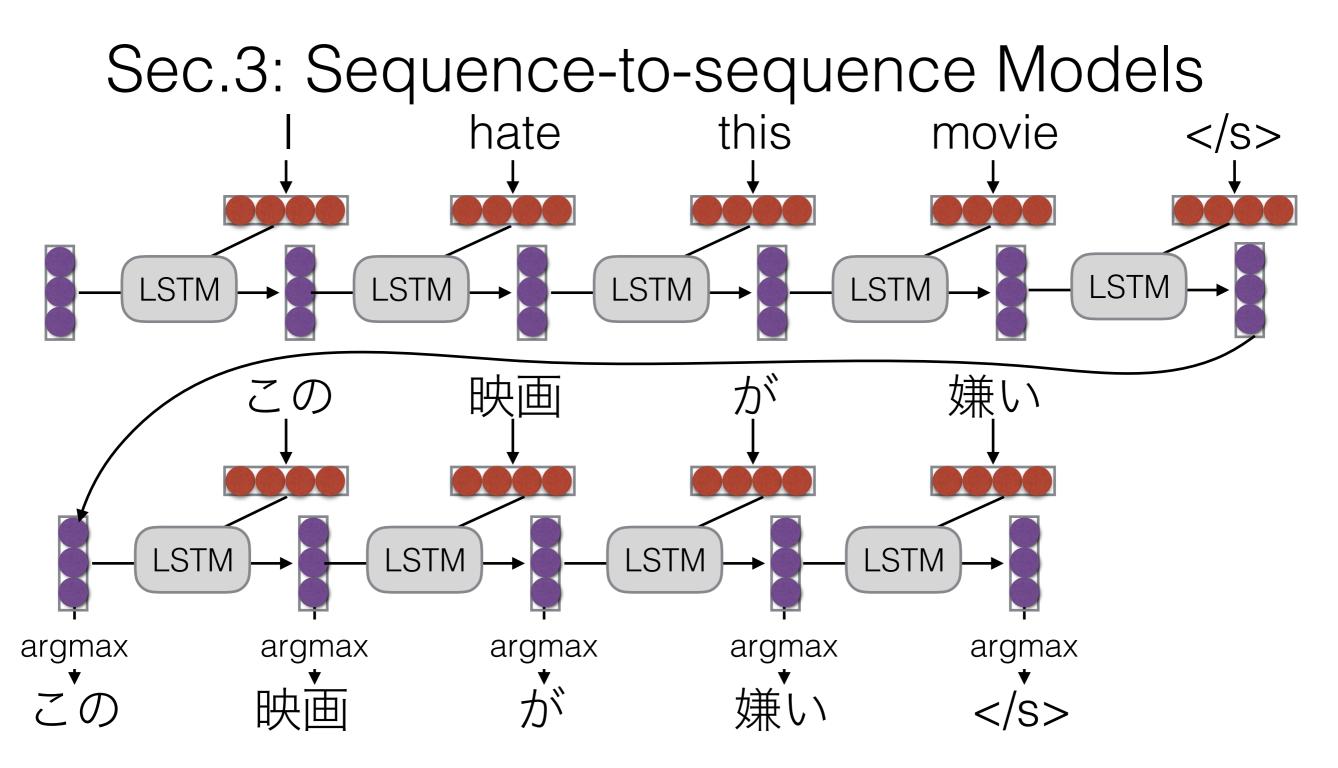
#### Section 1: Models of Words



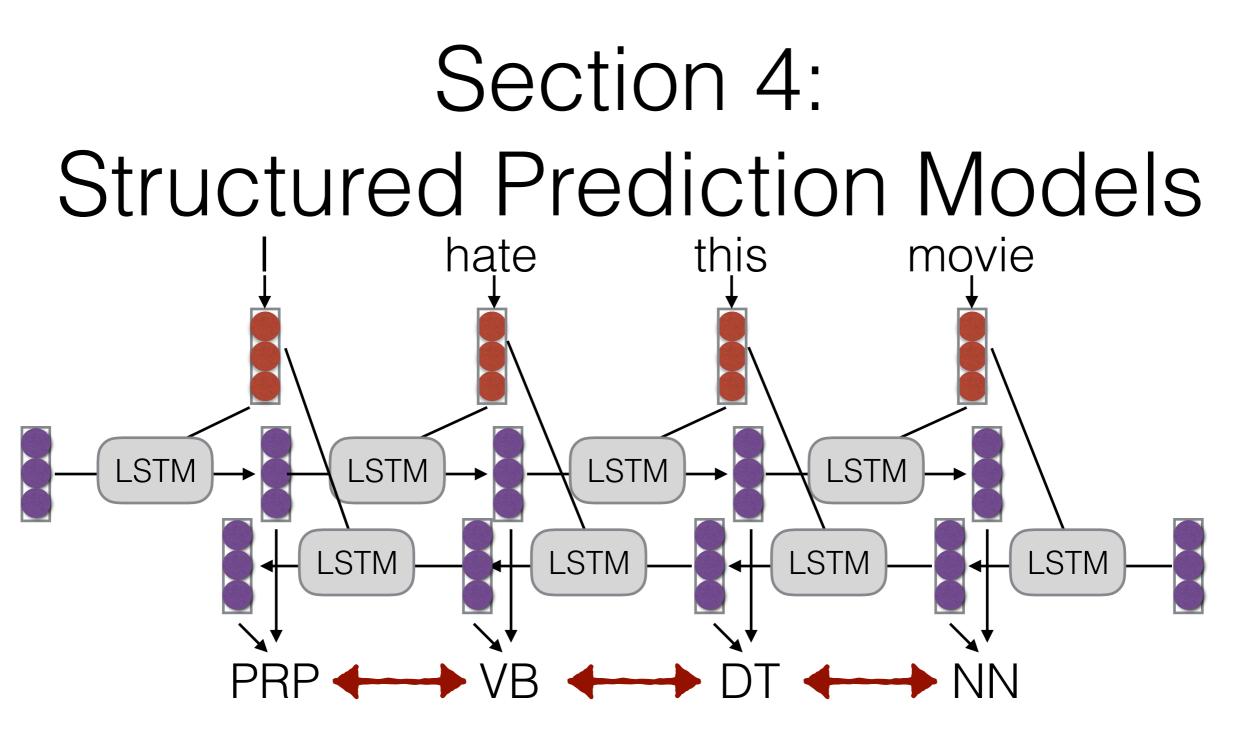
- Word representations using context
- Word representations using word form
- Speed tricks for neural networks



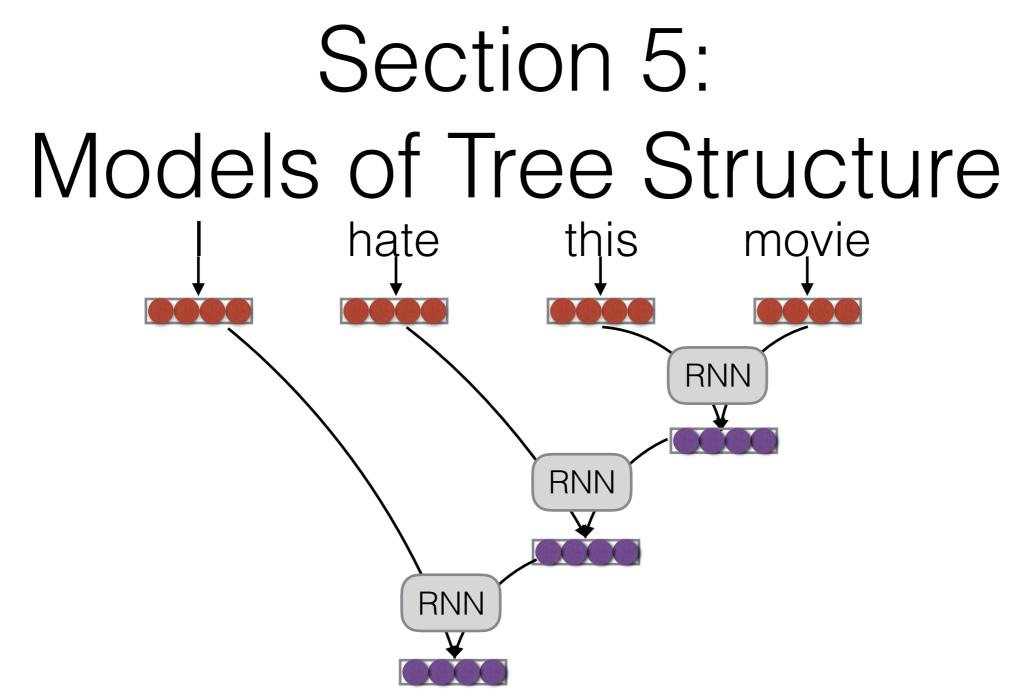
- Bag of words, bag of n-grams, convolutional nets
- Recurrent neural networks and variations
- Applications of sentence modeling



- Encoder decoder models
- Attentional models

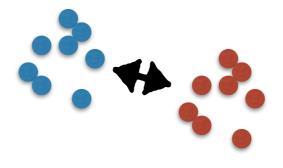


- Structured perceptron, structured max margin
- Conditional random fields



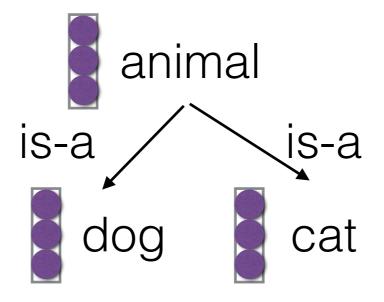
- Shift reduce, minimum spanning tree parsing
- Tree structured compositions
- Models of graph structures

#### Section 6: Advanced Learning Techniques



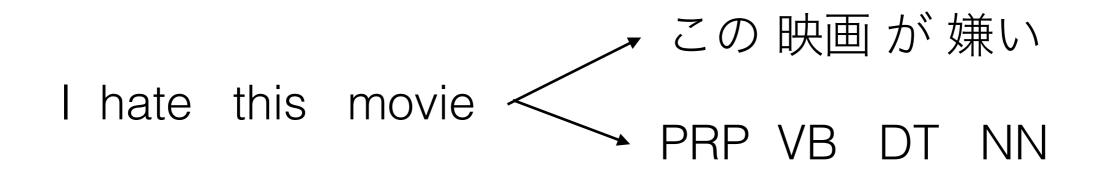
- Variational Auto-encoders
- Adversarial Networks
- Marginal Likelihood, Reinforcement Learning
- Semi-supervised and Unsupervised Learning

#### Section 7: Neural Networks and Knowledge



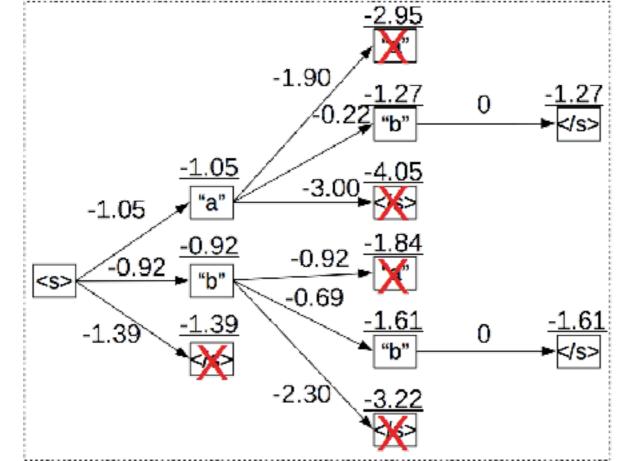
- Learning from/for Relational Databases
- Interfacing with Relational Databases
- Machine Reading Models
- Reasoning with Neural Nets

#### Section 8: Multi-task and Multilingual Learning



- Multi-task Learning Models
- Multilingual Learning of Representations
- Universal Analysis Models

#### Section 9: Advanced Search Techniques



- Beam search and its variants
- A\* search

# Any Questions?